

Charged Particle and Nuclear Fragment Emission in Neutrino Interactions in the CHORUS Emulsion Target

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Preliminary results

The

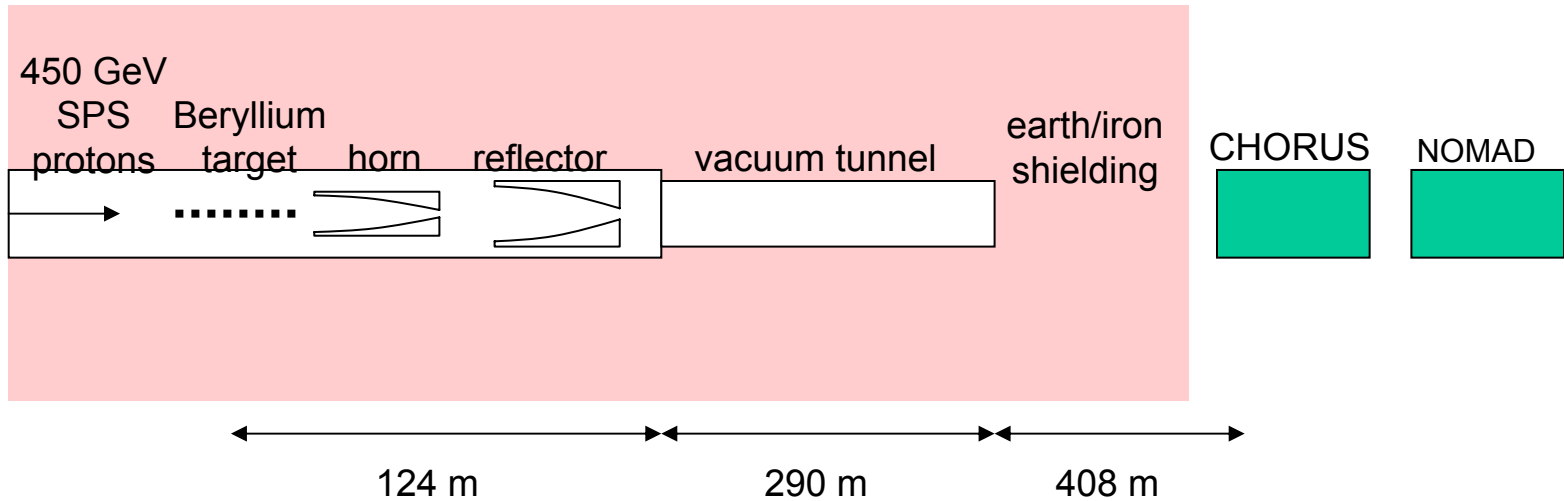


Collaboration

Belgium (Brussels, Louvain-la-Neuve),
CERN, Germany (Berlin, Münster),
Israel (Haifa), Italy (Bari, Cagliari,
Ferrara, Naples, Rome, Salerno),
Japan (Aichi, Kinki, Kobe, Nagoya, Osaka,
Toho, Utsunomiya), Korea (Gyeongsang),
The Netherlands (Amsterdam),
Russia (Moscow), Turkey (Adana, Ankara,
Istanbul)

NUINT'02, University of California, Irvine
12-15 December.

Neutrino Beam



$\nu_{\mu} : \bar{\nu}_{\mu} : \nu_e : \bar{\nu}_e$
1.00 : 0.05 : 0.017 : 0.007

$\langle E_{\nu} \rangle \sim 27 \text{ GeV}$

$\nu_{\tau} CC \sim 3.3 \cdot 10^{-6} \nu_{\mu} CC$ (0.1 background event)

CHORUS detector

94-97

four years of data taking

- Neutrino target
- Active nuclear emulsion target (770 kg)
- Scintillating fiber tracker

- Hadron Sign and momentum
- air-core magnet-spectrometer

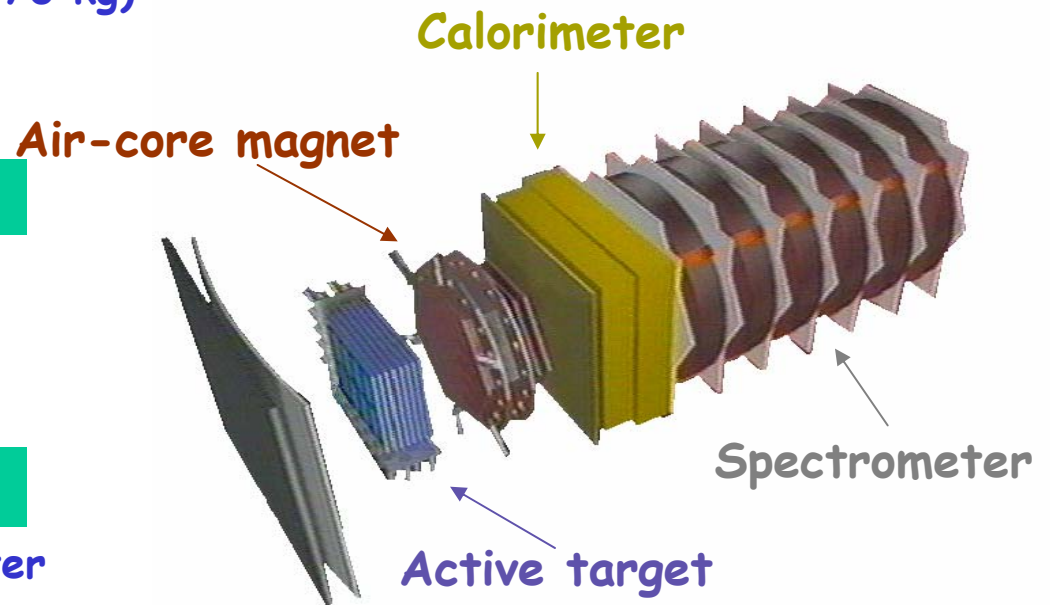
$$\Delta p/p = \sqrt{(0.035 \cdot p(\text{GeV}/c))^2 + 0.22^2}$$

Showers energy, missing P_{\perp}
lead&fibers "spaghetti" calorimeter

$$\Delta E/E = 32\%/\sqrt{E} \text{ (hadrons)}$$

$$\Delta E/E = 14\%/\sqrt{E} \text{ (electrons)}$$

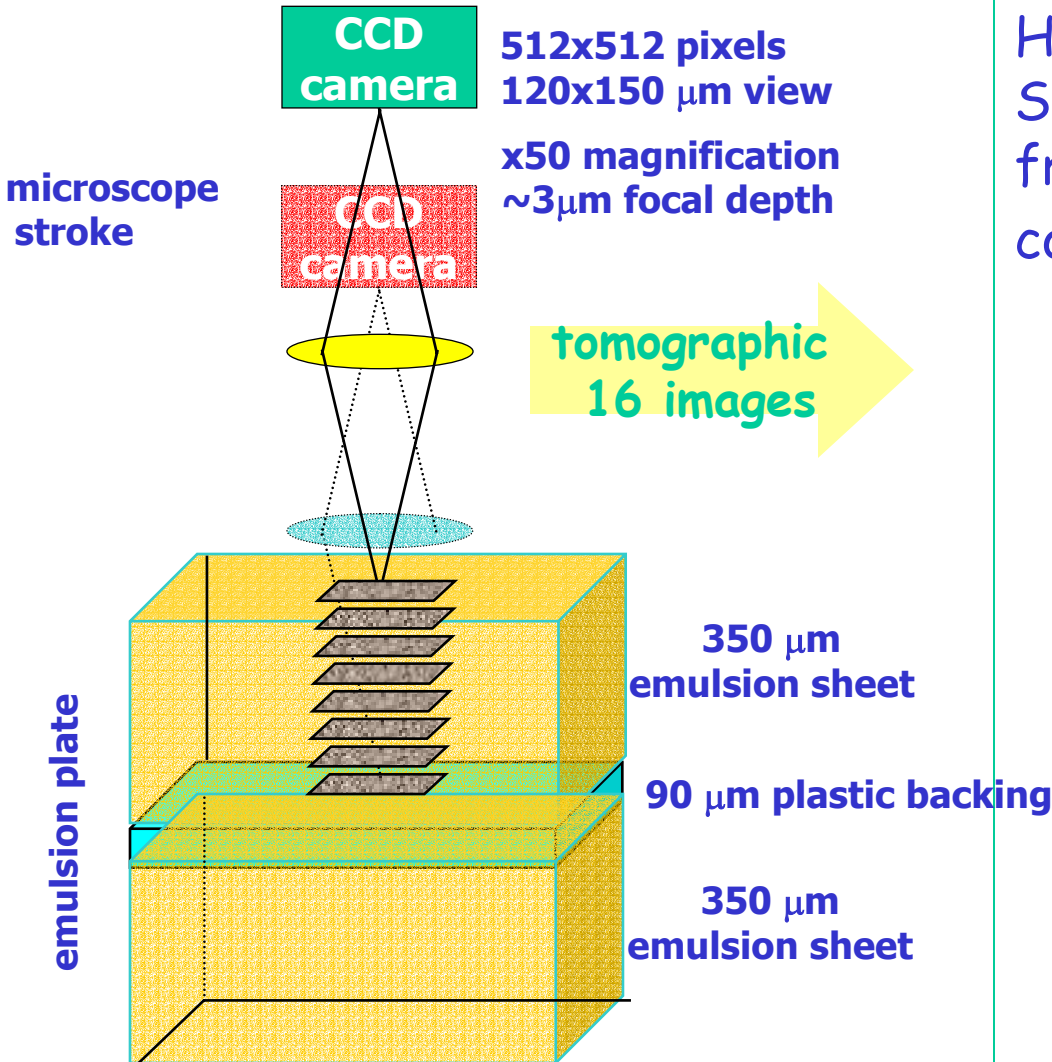
$$\Delta \theta_{\text{hadrons}} = 60 \text{ mrad @ } 10 \text{ GeV}$$



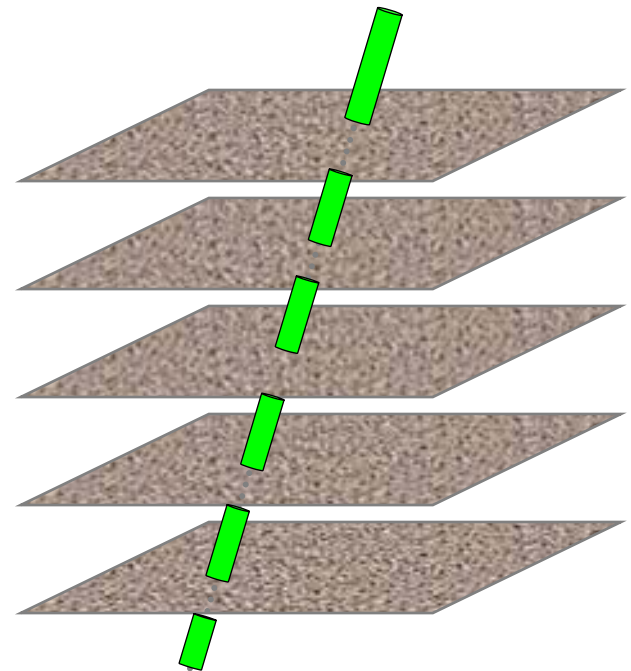
- Muon ID, sign and momentum
 - iron-core muon spectrometer
- $$\Delta p/p \sim 10\% - 15\% \text{ (} p < 70 \text{ GeV)}$$

Automatic Emulsion Data Taking

(pioneered by the Nagoya group)

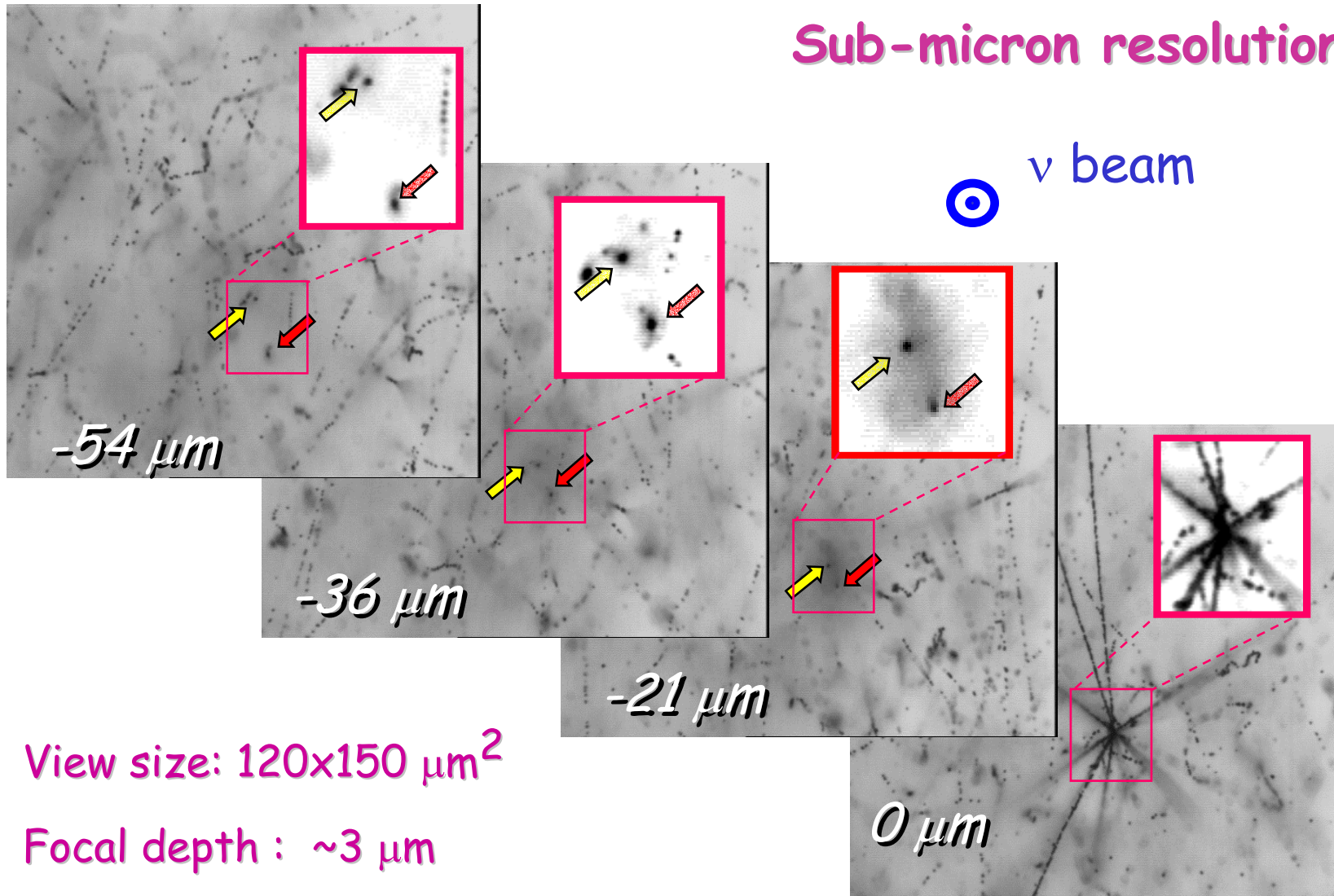


Hardware video processors (Track Selector) reconstruct tracks as frame-to-frame emulsion grain coincidence.



ν interaction in the emulsion

Sub-micron resolution !



View size: $120 \times 150 \mu\text{m}^2$

Focal depth : $\sim 3 \mu\text{m}$

Red frame: $\sim 30 \times 40 \mu\text{m}^2$

DATA

Neutrino-Emulsion Interactions $1 < E_\nu < 200 \text{ GeV}$

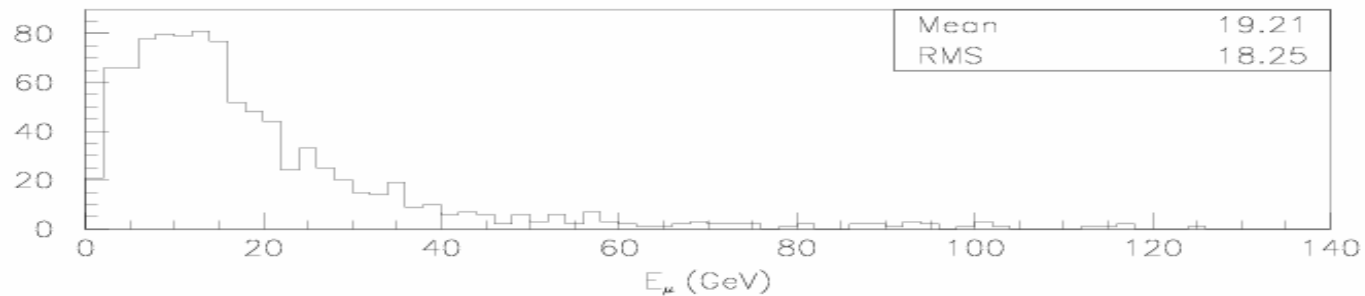
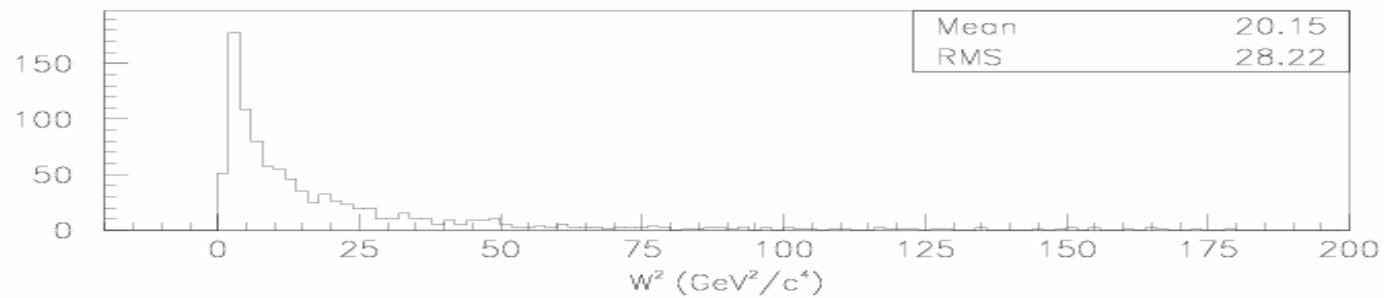
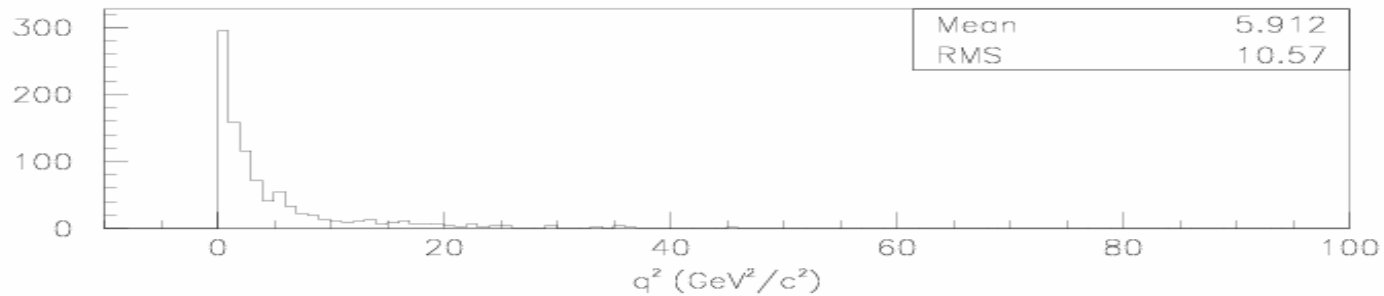
of event scanned 987

No cut on muon momentum

Kinematic variables reconstructed event-by-event at $\langle E_\nu \rangle$ about 27 GeV

- $\langle E_\mu \rangle = (19.2 \pm 0.5) \text{ GeV}$
- $\langle Q^2 \rangle = (5.9 \pm 0.5) \text{ GeV}^2/c^2$
- $\langle W^2 \rangle = (20.2 \pm 0.9) \text{ GeV}^2/c^4$

Sample Distribution of Kinematic Variables



Charged Tracks in Emulsion

Grain density is a function of β

- Shower particles: (Minimum Ionizing Particles)
 $g_0, \beta \geq 0.7$
- Grey Tracks: (medium Ionizing Particles)
 $1.4g_0 < g < 5g_0$
 $0.25 \leq \beta < 0.7$
- Black tracks: (Heavy Ionizing Particles)
 $g > 5g_0, \beta < 0.25$

Since the emulsion sheets were exposed perpendicular to the beam direction, for most of the tracks it is very difficult to count the grains, even for experienced operators.

An alternative procedure was applied

Operator Check and Manual Measurements

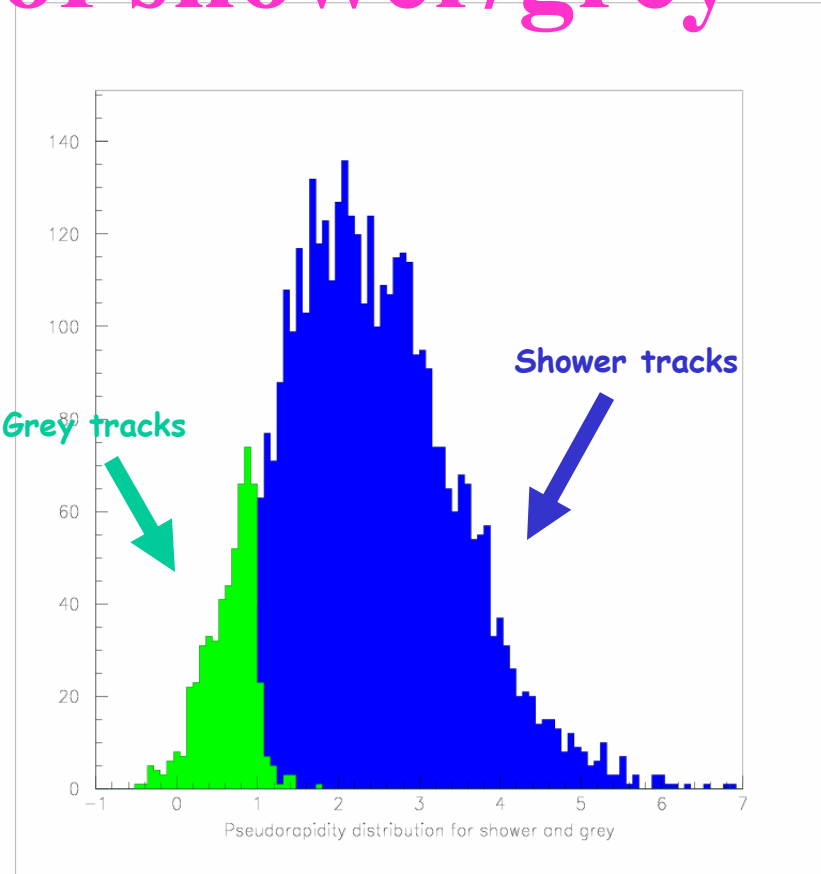
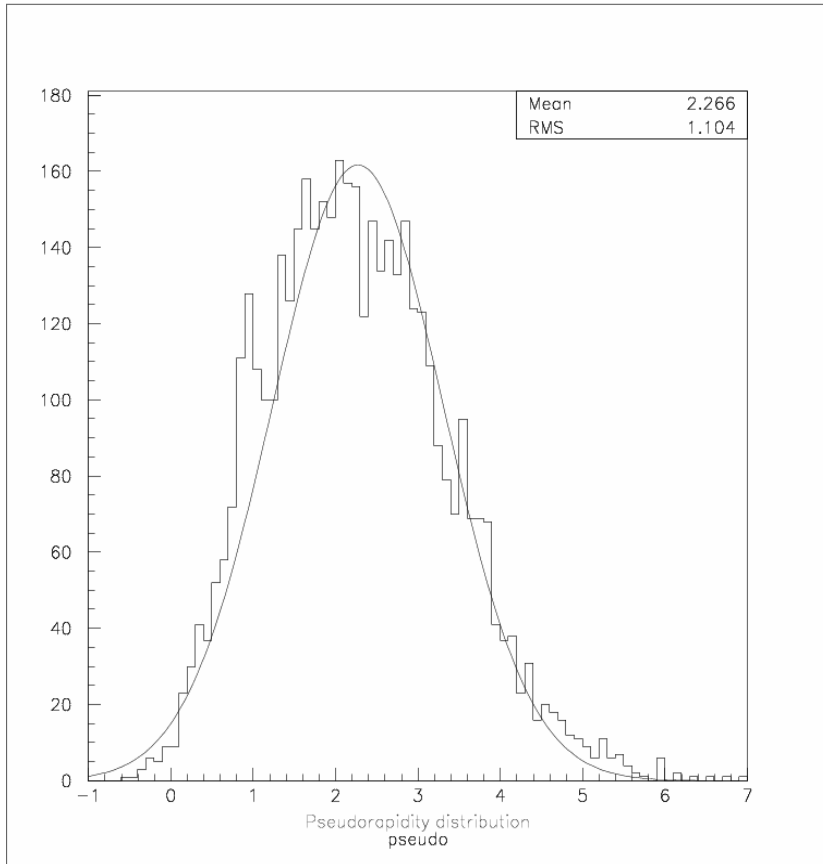
Procedure for Ionization assignment

- Black tracks: continuous lines, short lengths, often stop in the plate
- Grey tracks: usually emitted at wide angles, look like “thicker” than MIP
- The others, MIP, shower tracks: mostly emitted in the forward direction
- Experimental procedure during the present manual check: Label the tracks as black, grey, showers; black ones are just counted event-by-event; for the others, the emission angle is measured.

Pseudo-rapidity

- Pseudo-rapidity $\eta = -\ln \tan (\theta/2)$
- The emission angle, θ , of the “non-black” tracks is measured
- Cut on the pseudo-rapidity variable to classify as shower/grey tracks
- Advantage; more effective, largely independent of the scanner’s judgement, but usually in agreement with it

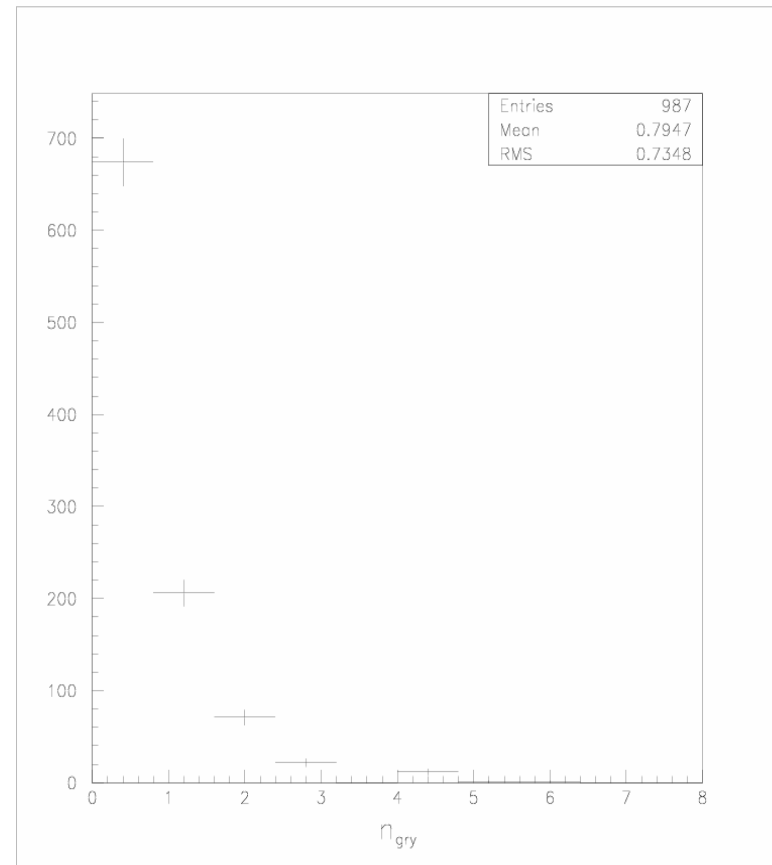
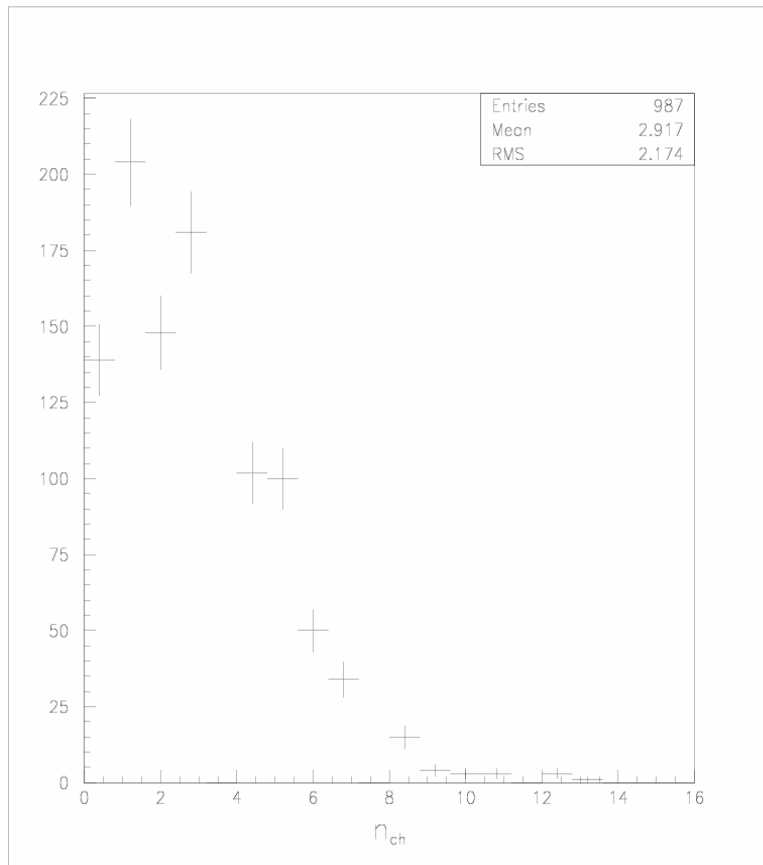
Classification of shower/grey



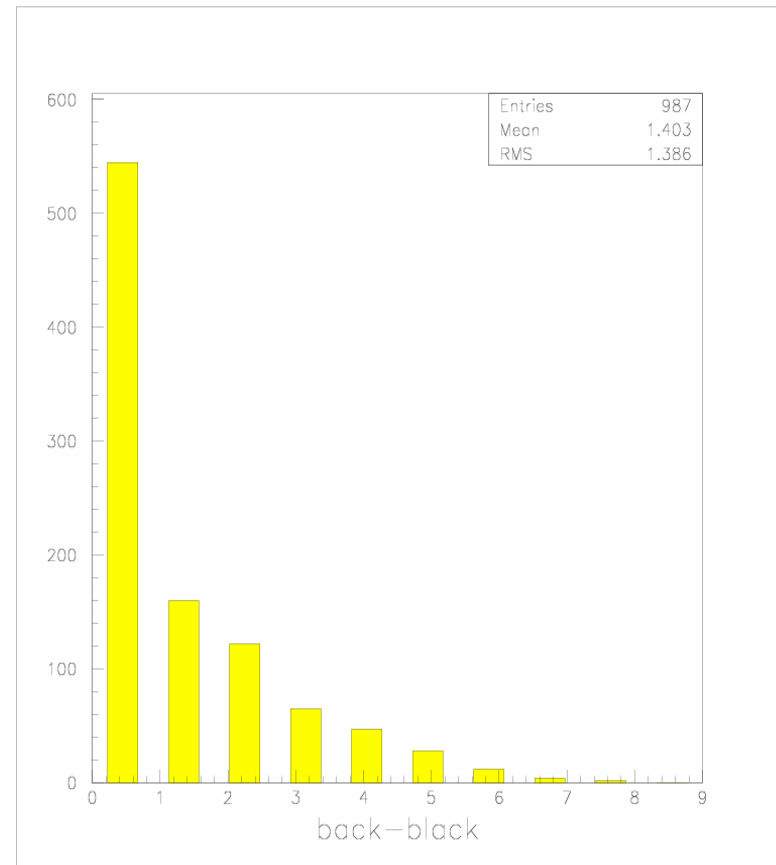
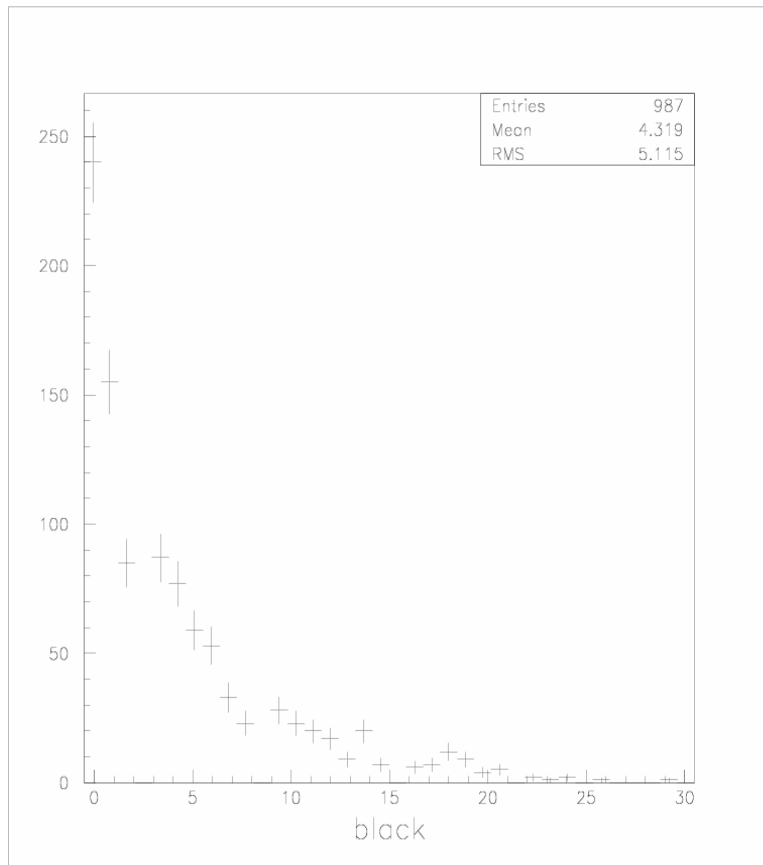
Putting cut on Pseudo-rapidity

$\eta < 1$ Grey tracks ; $\eta > 1$ shower tracks

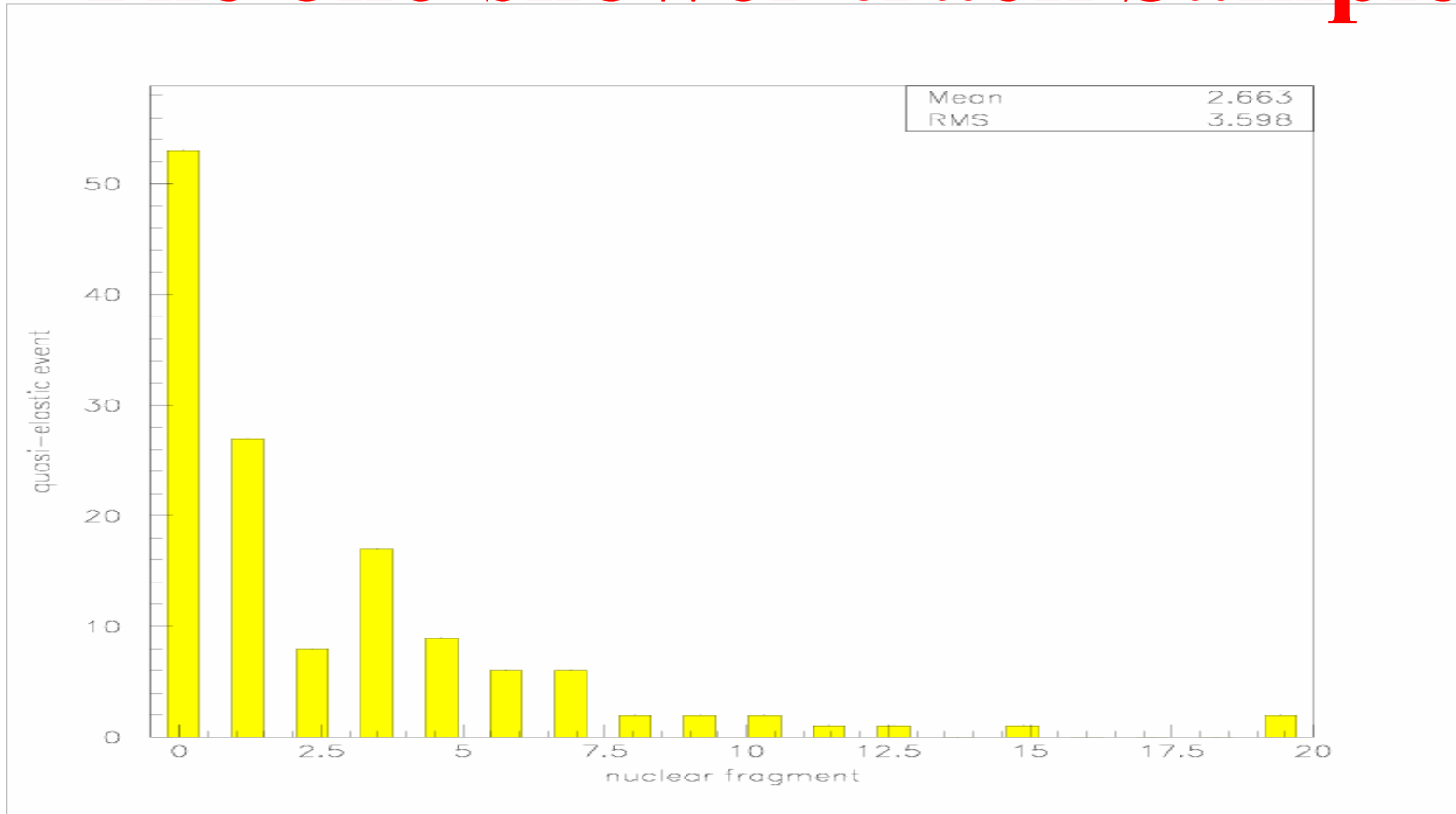
Shower & grey track multiplicity distributions



Black track distributions



The one-shower track Sample



According to the # of black tracks, 3 categories of ν -Nucleus interactions:"

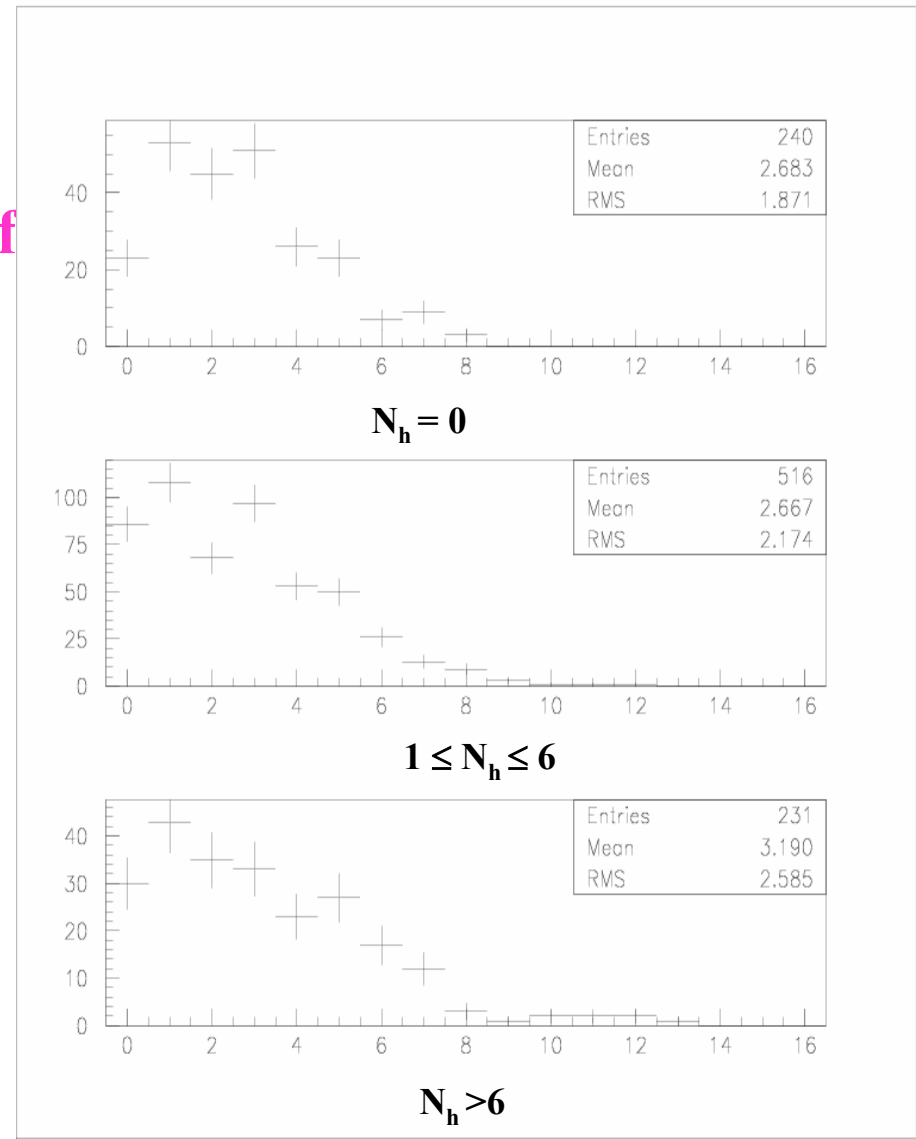
• $N_h = 0$ $1 \leq N_h \leq 6$ $N_h > 6$

Target nuclei in the composite of emulsion target:

- the light H
- the medium C,N,O
- the heavy Br, Ag

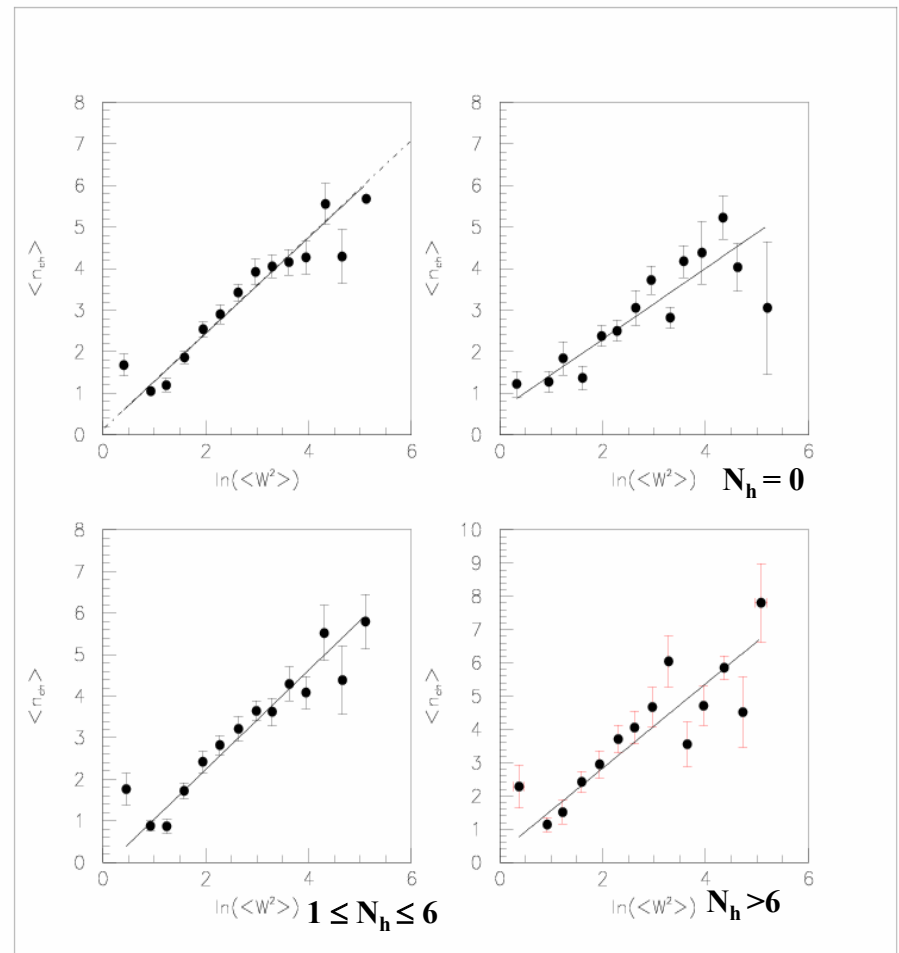
* only if $N_h = 0$ the hit nucleus could be H;

* if $N_h > 8$, the hit nucleus is 'heavy'

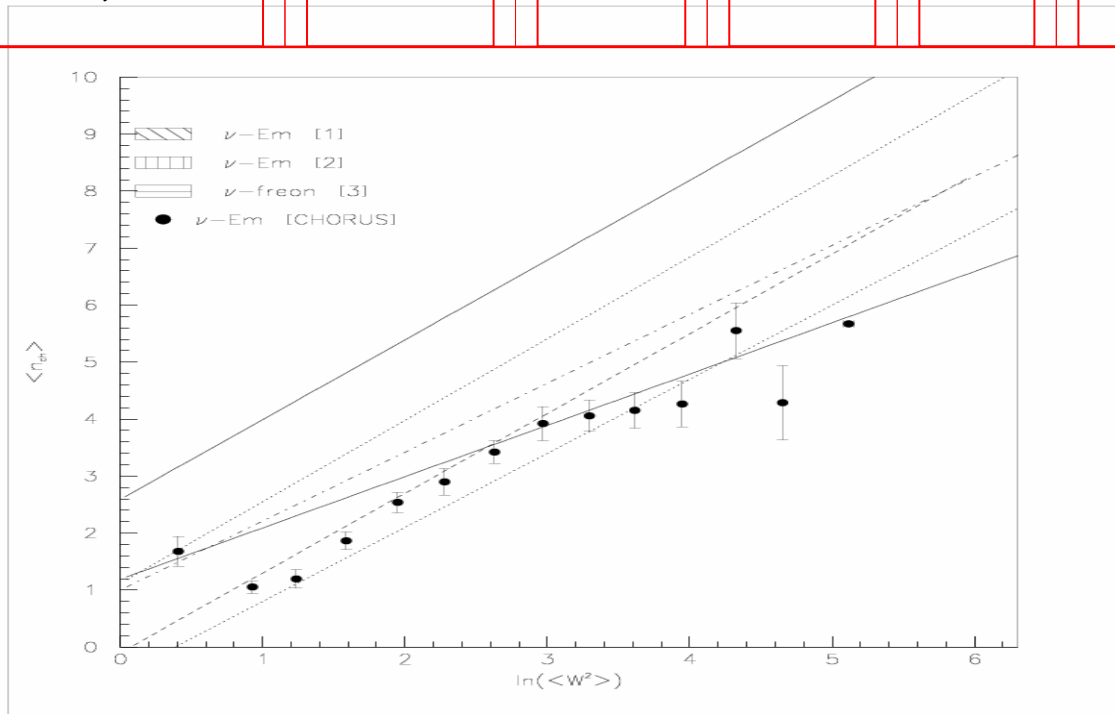


Multiplicity as a Function of W^2

- $\langle n_{ch} \rangle = 2.9 \pm 0.07$ where $n_{ch} = n_s - 1$ (minus muon)
- To compare with other experiment using $\langle n_{ch} \rangle = A + B \ln(\langle W^2 \rangle)$
- Fitted for W^2 between 1 GeV^2 and 160 GeV^2



Experiment	$E_\nu(\text{GeV})$	W^2	A	ΔA	B	ΔB
ν -Em (CHORUS)	34	1÷200	0.1	0.1	1.15	0.05
ν -Em ¹	50	-	1.9	0.7	1.2	0.2
ν -Em ²	8.7	1÷20	1.07	0.05	1.3	0.1
ν -freon	6	1÷40	-0.34	0.11	1.47	0.06
ν -H (CHORUS)	34	1÷200	0.5	0.2	0.85	0.08
ν -CNO (CHORUS)	34	1÷200	-0.1	0.1	1.19	0.06
ν -AgBr (CHORUS)	34	1÷200	0.3	0.2	1.27	0.09



Dispersion Distributions

- Dispersion Distribution

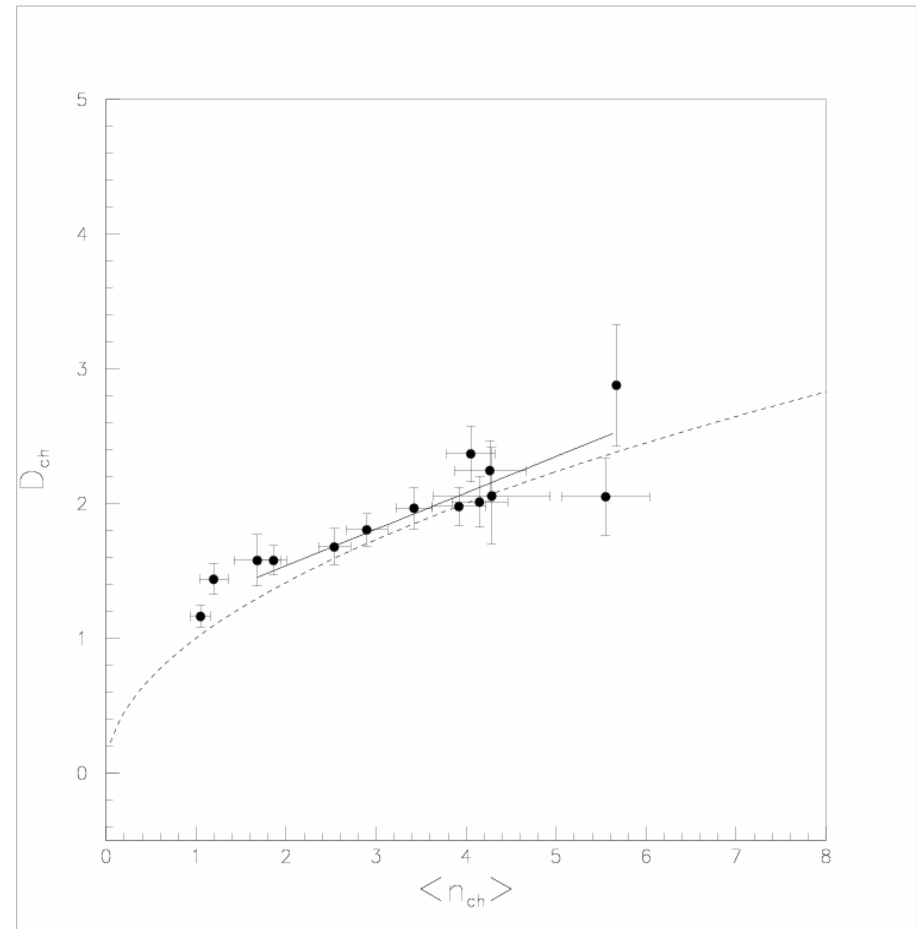
$$D_{ch} \equiv \sqrt{\langle n_{ch}^2 \rangle - \langle n_{ch} \rangle^2}$$

- For independent particle production

$$D_{ch} \equiv \sqrt{\langle n_{ch} \rangle}$$

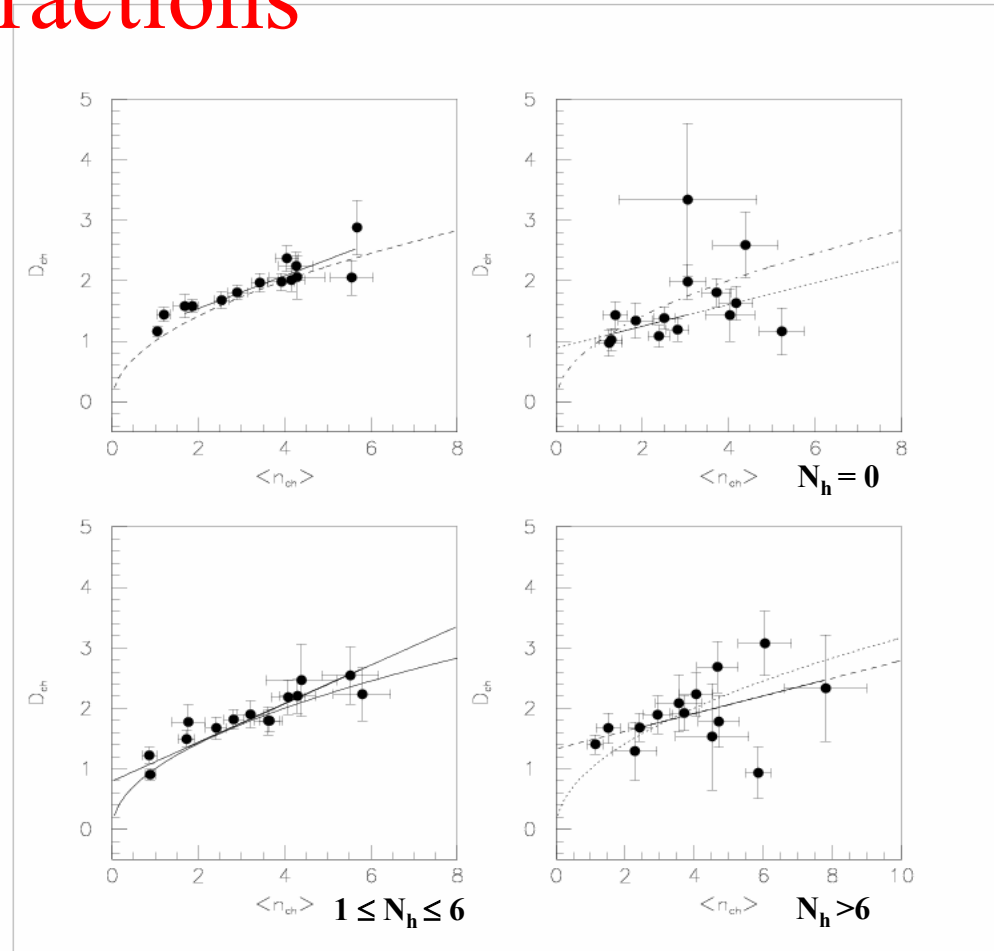
- For charged particle production in hadronic interactions

$$D_{ch} = A + B \langle n_{ch} \rangle$$



Dipersion for different ν -Nucleus Interactions

- The fit parameter:
 - For ν -Em int.**
 - $A=0.99 \pm 0.08$; $B=0.27 \pm 0.03$
 - For $N_h=0$**
 - $A=0.8 \pm 0.1$; $B=0.18 \pm 0.06$
 - For $1 \leq N_h \leq 6$**
 - $A=0.79 \pm 0.09$; $B=0.32 \pm 0.03$
 - For $N_h > 6$**
 - $A=1.3 \pm 0.2$; $B=0.14 \pm 0.05$



KNO-Scaling

- KNO function

$$K = (\langle n_{ch} \rangle - \alpha).P(n_{ch}) = \Psi(z')$$

- where

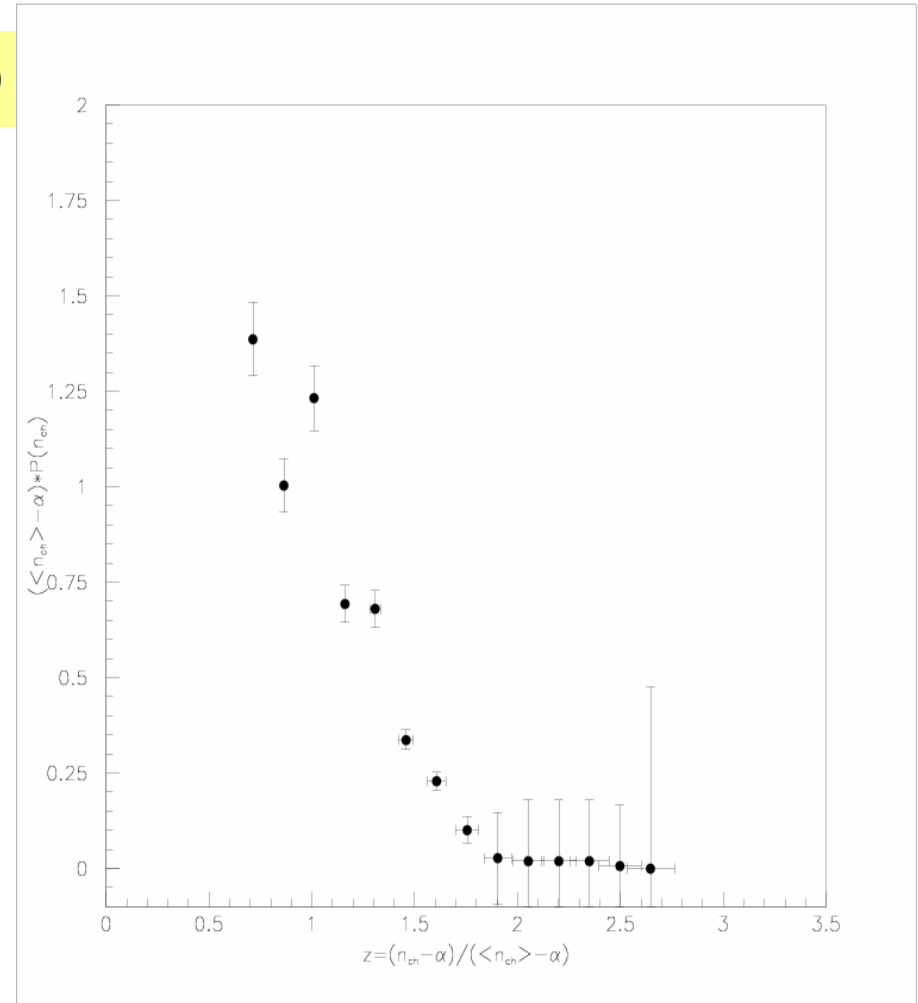
$$z = \frac{n_{ch}}{\langle n_{ch} \rangle}$$

- Since $A \neq 0$ define $\alpha = -\langle n_0 \rangle$

- Define new z' as
$$z' = \frac{n_{ch} - \alpha}{\langle n_{ch} - \alpha \rangle}$$

- KNO Scaling law becomes

$$K = (\langle n_{ch} \rangle - \alpha).P(n_{ch}) = \Psi(z')$$



CONCLUSIONS

- Pseudo-rapidity can be used to classify shower & grey tracks
- The multiplicity of shower tracks can be expressed as a linear function of $\ln W^2$
- The dispersion D_{ch} can be expressed as a linear function of the multiplicity
- The emulsion data look like consistent with KNO scaling